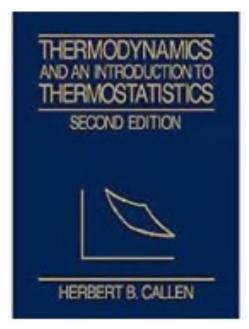
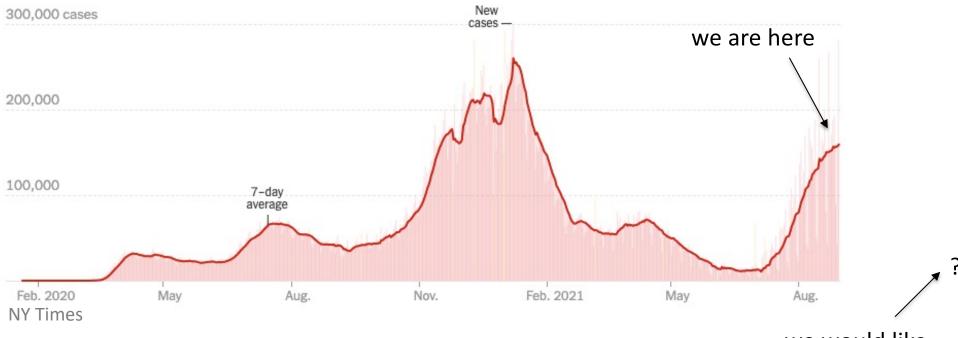
### **Phys 408: Thermodynamics / Statistical Mechanics**

- Course web address: rossgroup.tamu.edu/408page.html Syllabus is now posted there, and I have a few printed copies here. (More information such as slides, HW will be posted on web as we go along.) or try http://people.tamu.edu/~jhross/
- Grading: 1 midterm + 1 final, also Homework. Homework presentations: about 3 each week, extra credit opportunity. I will ask for volunteers after I assign homework/choose problems. More information to come.
- $\succ$  Reading: Ch. 1 this week, to be followed by ch. 15.
- Note about lectures/slides: I sometimes use powerpoint, sometimes just whiteboard. Slides I will post but you should take <u>notes</u>; I don't put everything on slides.
- I will also record lecture for those needing to quarantine or be absent.



#### << Callen text

### **Covid safety:**



we would like to make it here

# Please do your part, this is a dangerous time for many people.

<u>Thermodynamics</u> : macroscopic thermal physics

First part of text: ch. 1 to read first

Statistical mechanics : microscopic, "atoms up"

properties.

Starting with ch. 15, coming next

>> Here we deal with with collections or "ensembles" of particles or objects.

# <u>Thermodynamics</u> : macroscopic thermal physics

Entropy (S),  $dS = \frac{\delta Q}{T}$ , heat flow vs. temperature: Clausius, Carnot mid 1800's.

Statistical mechanics : microscopic, "atoms up"

#### properties, but applied in statistical way. Boltzmann: $S = k_B \ln \Omega$ ; $\Omega = countable number of states$ to be explored by particles in system.

>> Here we deal with with collections or "ensembles" of particles

or objects.

## Some applications:

- Fermi & Bose gases: quantum behavior underlies everyday behavior of metals, nuclei & nuclear matter, neutron stars.
- Quantum information theory, connection to black hole entropy, Hawking radiation etc.
- "Quantum thermodynamics"; entanglement vs. random/statistical behavior of interacting systems.

## **Quantities and Variables:**

#### Processes

Q = <u>Heat</u>; Spontaneous energy flow into system, not by changing external variables.

*W* = Work done <u>on system</u>; energy transfer to system via changing external variable.

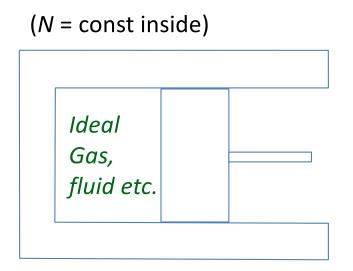
most obvious example: mechanical, e.g. by piston (W = -P dV.) work also includes all energy transfer processes other than heat flow.

Refer to specific processes (change along a <u>specific</u> <u>path</u>) Reversible *or* irreversible.

#### **State function**

- *U* = Total internal energy.
  - Total of all energy contained in system
  - Includes Potential + Kinetic energy of thermal motions, electronic or other internal excitations, etc.

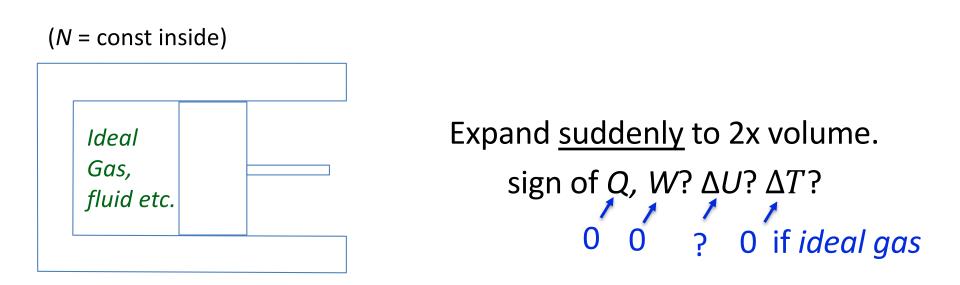
#### Example



# Expand <u>suddenly</u> to 2x volume. sign of Q, W? $\Delta U$ ? $\Delta T$ ?

Perfectly Insulated cylinder ("<u>Adiabatic Process</u>") Q = 0

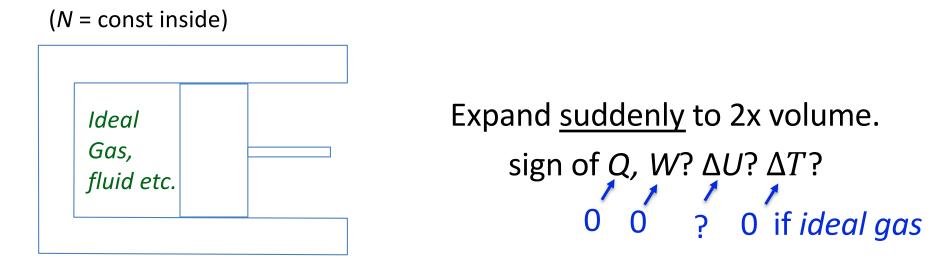
#### Example



Perfectly Insulated cylinder ("Adiabatic Process") Q = 0

*W* = Work done <u>on system</u>; energy transfer to system via changing external variable. *W* = – *P dV* only for a <u>controlled</u> <u>process</u>; path dependent energy transfer

$$\Delta U = Q + W$$



Perfectly Insulated cylinder ("Adiabatic Process") Q = 0

W = Work done <u>on system</u>; energy transfer to system via changing external variable. W = – P dV only for a <u>controlled</u> process; path dependent energy transfer

$$\Delta U = Q + W$$

(N = const inside)

Expand suddenly to 2x volume. sign of Q, W?  $\Delta U$ ?  $\Delta T$ ? 0 0 ? 0 if ideal gas

Further process: <u>slowly</u> return piston to original position. *Does system return to its original state?* 

$$\Delta U = Q + W$$

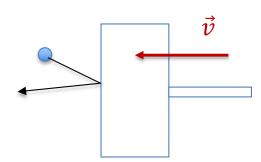
(N = const inside)

Expand suddenly to 2x volume. sign of Q, W?  $\Delta U$ ?  $\Delta T$ ? 0 0 ? 0 if ideal gas

Further process: <u>slowly</u> return piston to original position. *Does system return to its original state?* 

Uncontrolled process: increases <u>entropy</u> of the system (and we find, *applied heat* does the same thing)

& note microscopic kinetic equivalent of mechanical work



## **Entropy (S):**

- Incorporates the concept of "disorder", although in *energy* states as well as simply physical disorder: This is statistical mechanics physical basis for *S*.
- In thermodynamics, find that dS = dQ/T for a controlled process; heat flow always increases S. But *uncontrolled* processes also increase entropy in absence of heat flow.
- In our example, from these definitions can see that *S* increased, and there is no way to reverse the process!

$$\Delta U = Q + W$$

U = State function;  $\Delta U \equiv U_2 - U_1$ 

• *More specific notation*:

 $dU = d\bar{Q} + d\bar{W}$  < Q & W processes don't act as independent variables

• Generalized work:

e.g. Mechanical work

For controlled process only,  $W = -\int P dV$ .

alternatives  $-\mu_o VHdM$ ;  $-P\Delta E$ ; ...

also <u>chemical work</u> by change of # particles to define soon. variables define <u>multi-dimensional space</u>

#### **Thermodynamic Variables:**

#### P, V : Pressure (intensive) and Volume (extensive)

Extensive: proportional to system size. e.g. depends on the *physical extent* of system.

Intensive: Independent of system size

- N, H, Mwe have seen.Note text notation: I = MV<br/>total magnetic momentWhich are extensive/intensive?<br/>Multi-component system:  $N_1, N_2, \dots$ e.g.  $N_2 + O_2$  or nuclear matter
- T = Temperature. (Same as familiar quantity, formal definition to come)
- U = Internal energy.
- *S* = Entropy *Extensive quantity*

#### **Thermodynamic Variables:**

#### P, V : Pressure (intensive) and Volume (extensive)

Extensive: proportional to system size. e.g. depends on the *physical extent* of system.

Intensive: Independent of system size

N, H, Mwe have seen.Note text notation: I = MV<br/>total magnetic momentWhich are extensive/intensive?<br/>Multi-component system:  $N_1, N_2, \dots$ e.g.  $N_2 + O_2$  or nuclear matter

T = Temperature. (Same as familiar quantity, formal definition to come)

- U = Internal energy.
- *S* = Entropy *Extensive quantity*

Note extensive/intensive pairs are intrinsically coupled:

 $dU = TdS - PdV + \mu dN$ 

1<sup>st</sup> law as later defined (ch. 2); maintains proper *size scaling*.

#### **Chapter 1 & Postulates:**

Assumptions for now:

• <u>"Very large" system size</u>: System variable assumed to have a specific value (fluctuations we consider later). Huge number of internal variables we can then neglect with regards to macroscopic measured quantities.

• <u>System in equilibrium</u>: Thermodynamic variables unchanging in time. Non-equilibrium thermodynamics beyond this course.

• <u>Quasistatic processes</u>: Idealization, assuming changes in state are sufficiently slow that system proceeds through a series of equilibrium states. Kinetic view: particles disturbed e.g. during piston motion relax completely to thermal average behavior before new particles engage the piston. (but note, adiabatic processes might proceed relatively quickly)

• Also general assumption is made of unbounded available set of *energy excitations*. (Excludes only special cases.) We will see, this means temperature is only a positive quantity.

#### Postulate 1:

#### System in equlibrium:

- Postulation that equilibrium state *exists*.
- Equilibrium state is characterized completely by quantities U, V, and the particle numbers  $N_1$ ,  $N_2$ , ....

#### Postulate 1:

System in equlibrium:

"ergodic system": will eventually and spontaneously explore all regions of phase space (or all quantum states) accessible to it. [Not true for truly isolated quantum system]

• Postulation that equilibrium state *exists*.

• Equilibrium state is characterized completely by quantities U, V, and the particle numbers  $N_1$ ,  $N_2$ , ....

3-dimensional variable space needed for 1component thermal system. (But a different set of 3 may also be chosen)

#### **Entropy postulates:**

- 2) Entropy (*S*) *exists* as extensive quantity; Among all other initial states reachable from equilibrium state (depending on *U*, *V*, *N*), equilibrium state has <u>Maximum Entropy</u>.
- 3) Entropy is additive for subsystems (separate adjoined regions, or e.g. different particle types), and increases as *U* increases.
- 4) Nernst theorem: S = 0 at T = 0.